

B.E./B.Tech (Full Time) DEGREE END SEMESTER EXAMINATIONS, APRIL / MAY 2011

ELECTRONICS AND COMMUNICATION ENGINEERING BRANCH

FOURTH SEMESTER - (REGULATIONS 2008)

EC 9254 - CONTROL SYSTEMS

Time: 3 hr.

(semi-log, polar sheet should be provided)

Max.Mark:100

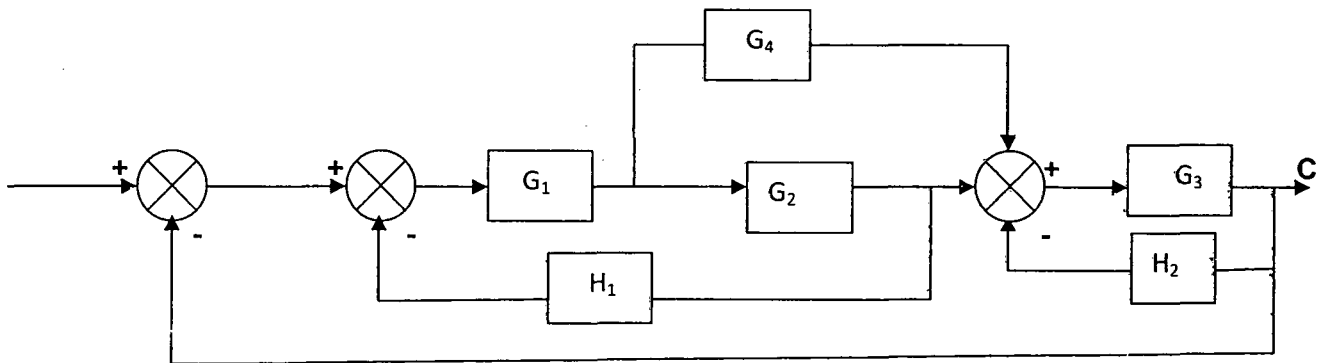
Answer ALL Questions

PART – A (10 X2= 20 Mark)

1. Define the Transfer function.
2. What are the different elements used in rotational system.
3. Define type and order of a system.
4. Find the step response of a system if its impulse response is $5e^{-10t}$.
5. State the Nyquist stability criterion.
6. What is the need for a compensator
7. State argument theory
8. Comment on relative stability.
9. Define state model.
10. List the advantages of sampled data control system.

PART – A (5 X 16= 80 Mark)

11. Find the transfer function of the system given below by block diagram reduction method and verify it by signal flow graph.



12. a) The overall transfer function of a unity feed back system is given by

$$\frac{C(S)}{R(S)} = \frac{10}{s^2 + 6s + 10}$$

Find i) The position, velocity and acceleration error constants. (6)

ii) The steady state error for the input $r(t) = 1 + t + t^2$ (10)

(or)

- b) For a unity feed back system back $G_S = \frac{36}{s(s+0.72)}$ Determine the characteristics equation and hence calculate i) Natural Frequency ii) Damping ratio iii) Peak time iv) Settling time(2%) v) Peak over shoot

13. a) Sketch bode plot for the given transfer function and determine the phase margin and gain margin.

$$G_s = \frac{75(1 + 0.2s)}{s(s^2 + 16s + 100)}$$

(or)

b) The open loop transfer function of a unity feedback system is given by

$$G(s) = \frac{1}{s(1 + s^2)}$$

Sketch the polar plot and determine the gain margin and phase margin.

14. a) Obtain the root Locus diagram for a Unity feed back system with the open loop transfer function

$$G(s) = \frac{K}{s(s^2 + 6s + 10)}$$

(or)

b)i. Use Routh-Hurwitz criterion and comment on the stability of the system of characteristics equation

$$s^5 + 4s^4 + 8s^3 + 8s^2 + 7s + 4 = 0 \quad (6)$$

ii. Construct Nyquist plot for a feedback control system whose open loop transfer function is given by

$$G(s)H(s) = \frac{2}{s(1 - 2s)} \quad (10)$$

15. a) A system is characterized by the state variable model given below. Comment on the controllability and observability of the system

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix} u$$

$$y = [1 \quad 0 \quad 0] \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$$

(or)

b)i. Construct a state model for a system characterized by the differential equation,

$$\frac{d^3y}{dt^3} + \frac{d^2y}{dt^2} + 11 \frac{dy}{dt} + 10y - 8u = 0 \quad (8)$$

ii. The state equation and initial condition vector of a linear-time-invariant system are given below. Determine the solution of state equation.

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}; \quad x_3 = \begin{bmatrix} 1 \\ 0 \end{bmatrix} \quad (8)$$